## Supplementary Material

# Altered Cross-frequency Coupling in Resting-State MEG after Mild Traumatic Brain Injury 

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## 1. A data-driven thresholding scheme

The example of Figure S.1Error! Reference source not found. illustrates how the edges, the GCE, and the GE functions change when the threshold for the cost of a graph changes for a control subject in the $\delta-\beta$ frequency range. Following this global network cost filtering that was used to identify significant links, we applied a data-driven thresholding scheme based on maximization of global cost-efficiency as a function of network cost.


Figure S.1. Global cost efficiency as a function of network cost. Three examples of graphs with significant links for the $\delta-\beta$ frequency pair from a control subject. The red dot corresponds to the maximum value (optimal threshold) of global cost efficiency while the green dots represent non-optimal thresholds.

## 2. Feature Extraction and Classification

## TSA learning of FCG patterns

- Linear Dimensionality Reduction in Tensor Space

The generic problem of linear dimensionality reduction in the second order space is the following. Given a set of tensors (i.e. matrices) $X_{1}, \ldots, X_{m} \in R^{n_{1}} \otimes R^{n_{2}}$ (where $X$ be a $n_{1} \times n_{2}$ FCG) find two transformation matrices $U$ of size $n_{1} \times k_{1}$ and $V$ of $n_{2} \times k_{2}$ that maps these mm tensors to a set of tensors $Y_{1}, \ldots, Y_{m} \in R^{k_{1} \otimes} R^{n_{2}}$, such that $Y_{i}$ "represents" $X_{i}$, where $Y_{i}=U^{T} X_{i} V$. The method is of
particular interest in the special case where $X_{1}, \ldots, X_{m} \in M$ and $M$ is a nonlinear sub-manifold embedded in $\mathrm{R}^{\mathrm{n}_{1} \otimes} \mathrm{R}^{\mathrm{n}_{2}}$.

- Optimal Linear Embedding

The "true" domain of FCGs most probably forms a nonlinear sub-manifold embedded in the ambient space of 2nd order tensors. Current approach using the TSA attempts to find a linear subspace approximation to the sub-manifold in the sense of local isometry. The adopted technique is the tensorial counterpart of Locality Preserving Projection (LPP).

Given a set of $m$ tensors $X_{i=1: m}$, with each one being the tabular version of a single-trial FCG and having associated the cognitive load level as class label,, TSA starts by building an $\mathrm{m} \times \mathrm{m}$ weightmatrix $S$ that represents the nearest neighbour graph $G$ among the tensors. In our implementation, the element $S_{i j}$ was set as

$$
S_{i j}=\left\{\begin{array}{cc}
\exp \left(-\frac{\left\|X_{i}-X_{j}\right\|^{2}}{t}\right) & \text { condition }^{1}  \tag{4}\\
0 & \text { otherwise }
\end{array}\right\}
$$

where $t$ is a control-parameter usually referred as "radius of influence" and condition ${ }^{1}$ states that $X_{i}, X_{j}$ should share the same class label and anyone of them is among the kk-nearest neighbors of the other; the functional in (4) is known as heat kernel (here is employed with frobenius norm).

Then TSA seeks two transformation matrices $U$ and $V$, such that when applied to each tensor to result in a mapping that would preserve the neighborhood relations encoded in G. Mathematically is formulated in the form of the below objective function:

$$
\begin{equation*}
\min _{U, V} \sum_{i j}\left\|U^{T} X_{i} V-U^{T} X_{j} V\right\|^{2} S_{i j} \tag{5}
\end{equation*}
$$

that incurs a heavy penalty if neighboring tensors and of the same class are mapped far apart. By denoting with D the diagonal matrix with elements $\mathrm{D}_{\mathrm{ij}}=$, the above optimization problem is reformulated as two coupled problems of eigenvector analysis:

$$
\begin{gathered}
\left(D_{U}-S_{U}\right) \mathrm{v}=\lambda D_{U} \mathrm{v} \\
D_{U}=\sum_{i} D_{i i} X_{i}^{T} U U^{T} X_{i}, S_{U}=\sum_{i j} S_{i j} X_{i}^{T} U U^{T} X_{j} \\
\left(D_{V}-S_{V}\right) \mathrm{u}=\lambda \mathrm{D}_{\mathrm{v}} \mathrm{u} \\
D_{V}=\sum_{i} D_{i i} X_{i} V V^{T} X_{i}^{T}, S_{V}=\sum_{i j} S_{i j} X_{i} V V^{T} X_{j}^{T}
\end{gathered}
$$

The optimal $U$ and $V$ can be obtained by iteratively computing the generalized eigenvectors of (6) and (7) (after initializing $U$ with the identity matrix).

In the present study, the dimensionality of the reduced tensors (i.e. the numbers of eigenvectors for the mapping $\mathrm{Y}_{\mathrm{i}}=\mathrm{U}^{\mathrm{T}} \mathrm{X}_{\mathrm{i}} \mathrm{V}$ ) was optimized, via cross-validation, for each subject independently so as to achieve the highest classification performance. The numbers of neighbors and the heat parameter were set in a similar way.

## 3. Learning machines for classification

Ensemble learning is an effective technique that has increasingly been adopted to combine multiple learning algorithms to improve overall prediction accuracy (Dietterich et al., 2000). Subspace ensembles also have the advantage of using less memory than ensembles with all predictors, and can handle missing values. The random subspace ensemble classifiers perform relatively inferior to other ensemble classifiers (Ho, 1998; Bertoni et al., 2005; Kuncheva et al., 2010). Random subspace method has been used for linear classifiers as nearest neighbor (Skurichina, 2002). These group of ensemble methods are particularly useful for high-dimensional datasets (as in our case) because increased classification accuracy can be achieved by generating multiple prediction models each with a different feature subset (Bertoni et al., 2005; Kuncheva et al., 2010). Using an implantation delivered by ensemble classification toolbox of MATLAB (The MathWorks, Inc., Natick, MA, USA), the ensemble classification of the random space method evaluated using with 5 predictors per learner (the lowest cross-validated error) and totally 20 learners in the ensemble which was the smallest number that gave high classification performance.

ELM is as an emerging learning technique provides efficient unified solutions to generalized feedforward networks including but not limited to (both single- and multi-hidden-layer) neural networks. ELM theory (Huang et al., 2006) showed that hidden neurons are important but can be randomly generated and independent from applications, and that ELMs have both universal approximation and classification capabilities. ELM selected in the classification scheme due to its computational elegancy and fast-learning capabilities, which lead to competitive performance with respect to other contemporary learning algorithms like back propagation neural networks (BPNNs), radial basis function networks (RBFNs) and support vector machines (SVMs) (Kim et al., 2009).

## 4. Consensus community detection in brain networks

Most of the currently available community-detection methods are not deterministic and their results typically depend on initial random seeds, initial conditions, and tie-break rules adopted for their
operation. An example of a non-deterministic algorithm is the adopted Louvain method (Blondel et al., 2008). Consensus clustering is usually employed in network analysis to generate stable results out of partitions generated by a high number of runs of the same stochastic method (Lancichinetti and Fortunato, 2012). The following highlight the algorithmic steps applied in order to identify stable clusterings across the groups.

1) Apply the Louvain method on each group-averaged FCG graph (Bassett et al., 2006).
2) Compute the group consensus matrix $D$, where $D_{i j}$ is the number of partitions in which vertices $i$ and $j$ of the FCG graph are assigned to the same cluster across iterations and subjects $S$, divided by $S$.
3) Repeat steps 1 and 2.
4) Estimate the distance of the $D$ matrix between $1^{\text {st }}$ and $2^{\text {nd }}$ iterations based on the variation of information (VI) ${ }^{1}$ metric (Meila, 2007; Dimitriadis et al., 2009,2012a,b). A value of 0 denotes similar partitions, while higher values of VI indicate that the distance between the clusters has increased.
5) If the VI value at iteration t is less than 0.005 , then stop and present the clustering of group consensus matrix D. Otherwise, go back to Step 1 for the next iteration.

Figure S2 illustrates how the variation of information metric, VI, between consecutive iterations of the algorithmic procedure converges to a stable partition, while Fig. S3 presents prototype clusterings for both groups in the five frequency pairs. The five most significant clusterings in the group of normal controls for the frequency pairs $(\delta-\beta)$, $(\delta-\gamma 1)$, and $(\theta-\beta)$ were spatially restricted while in mTBI patients they were more distributed (Fig. S3 a-c). In frequency pairs ( $\theta-\gamma 1$ ) and $(\beta-\gamma 2)$, the clusterings were spatially scattered in both groups. Furthermore, the organization of functional clusters differed in both groups across the five frequency pairs (Fig. S3 d, e).

## 5. Physical distance of sensors versus PAC strength

To uncover how the strength of CFC was distributed over the Euclidean distance between the sensors in the five frequency pairs across the two groups, we adopted a heat map representation of CFC with physical distance of sensors (Kolchinsky et al., 2014). This approach gave a clear view of how PAC strength was affected by Euclidean distance in both groups for each CFC-pair. Both Euclidean distance and CFC strength were equally divided into 50 bins.

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Figure S2. VI values between consecutive iterations of the algorithm used to detect stable clusterings across the two group. The red horizontal line corresponds to a threshold of 0.005 for the difference between the VI iteration $\mathrm{t}+1$ and t .


Figure S3. The five prototypical functional segmentations of FCGs with the highest average within-group strength are illustrated for each of the five frequency pairs in the two groups.

The mean CFC strength was distributed almost equally along the physical distance of sensors in both groups at frequency pairs $\delta-\beta$ (Fig.S4.a), $\delta-\gamma 1$ (Fig.S4.b) and $\theta-\beta$ (Fig.S4.c) but the group of normal controls showed higher values for the most range of physical distance. For the remaining two frequency pairs, $\theta-\gamma_{1}$ (Fig.S4.d) and $\beta-\gamma_{2}$ (Fig.S4.e), the mean strength in the control group was marginally higher compared to mTBI patients, while mTBI subjects showed a few strong and distant connections on the tail of the distributions.


Figure S4. Heat maps (number of subjects x 50 bins) for various frequency pairs. The histogram on the top of each map presents the physical distance among the MEG sensors and the histogram on the right of each map represents the connectivity distances.

## 6. Relative Power

We calculated relative power (RP) to analyze the spectral content of MEG recordings. This measure represents the relative contribution of several oscillatory components to the global power spectrum. In comparison with absolute power, RP provides independent thresholds from the recording equipment and lower inter-subject variability (Leuchter et al 1993, Rodriguez et al. 1999).

We computed RP at every sensor in the conventional frequency bands: $\delta$ band ( $1-4 \mathrm{~Hz}$ ), RP( $\delta$ ); $\theta$ band ( $4-8 \mathrm{~Hz}$ ), RP( $\vartheta$ ); $\alpha$ band ( $8-15 \mathrm{~Hz}$ ), RP( $\alpha$ ); $\beta$ band ( $15-30 \mathrm{~Hz}$ ), and $\gamma$ band ( $30-60 \mathrm{~Hz}$ ), RP( $\gamma$ ). Group differences were estimated with Wilcoxon Rank-sum test in every frequency band ( $\mathrm{p}<0.0001$, Bonferroni corrected $-\mathrm{p}^{\prime}<\mathrm{p} / 248$ ). Topographies of group-averaged RP are shown in Figure S.5, where the white circles denote the significantly different RPs.

The main findings are the higher RP for normal subjects compared to mTBI in the $\delta$ frequency band over bilateral frontal brain areas, while the opposite effect was observed in frequency bands $\theta$ to $\beta$ for mTBI subjects, which demonstrated higher RP over bilateral frontal areas compared to normal controls.

Adopting Laplacian score (LS) as a feature extraction algorithm (Laskaris et al., 2013) and a crossvalidation scheme as it is described in the following sections, we attempted to estimate the classification
of two groups based on RPs. At every fold of the 5-fold cross-validation, we re-estimated the $L S_{F r_{S}}$ of each of the $5 \times 248$ RPs - frequency bands (Fr) x sensors (S) - and employed a bootstrapping technique by randomizing the labels assigned to each feature for 100.000 times. At each run, a $L S_{F r_{S}}$ was estimated for each of the $5 \times 248$ RPs which finally ended to a null distribution of $L S_{F r_{S}}^{R}$ obtained for every feature ( $5 \times 248 \mathrm{RPs}$ ). Next, it was tested whether each the $L S_{F r_{S}}$ of each feature deviated from the random and a (one-sided) p-value was assigned as the percentage of $L S_{F r_{S}}^{R}$ that exceeded the original estimated $L S_{F r_{S}}$. Then, the obtained p -values were Bonferroni-corrected for multiple comparisons ( $p^{\prime}<0.05 /\left(5^{*} 248\right)$ ). Finally, we adopted a k-nearest neighbor ( $k-N N$ ) classifier using the majority vote criterion. For comparison purposes, we also employed a linear SVM classifier. Table S2 summarizes the classification performance, the specificity, sensitivity, number of features employed, and their distribution over frequency bands.

Table S2. Classification performance (averaged across 5 - folds of cross-validation) with k-NN and linear SVMs classifiers.

| kNN |  | Linear SVMs |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) \(\left.\begin{array}{c}Number of <br>

features <br>
\delta-\theta-\alpha-\beta-\gamma\end{array}\right]\)

Finally, the classification scheme that included the feature extraction algorithm revealed significant differences in RP in the $\delta$ and $\theta$ frequency band mainly in frontal brain areas (Figure S.2). The findings related to the $\delta$ frequency band could be attributed possibly to the deactivation of the default mode network (DMN) resulting from inhibitory mechanisms activated during mental tasks (Dimitriadis et al., 2010). This finding may also reflect a less 'standby' DMN network for mTBI that otherwise would be ready to be activated during a cognitive task. The higher RPs for mTBI subjects in the $\theta$ frequency band over frontal areas could be interpreted as a compensatory mechanism to lower RP in the $\delta$ band for keeping the reflexibility of the cognitive state during spontaneous activity on a 'quasi-normal' level (Scheeringa et al., 2008) (S.1).


Figure S.5. Topography of the mean RP for each frequency band and group. White circles denote the statistically significant group difference of RP at the sensor level, using the Wilcoxon Rank-sum test ( $p<0.0001$, Bonferroni corrected - $p^{\prime}<p / 248$ ).

## 7. Vectorization Approach as classification scheme

## a. Classification Scheme on the raw values

Apart from the proposed scheme in the main text, which denoted as "TSA + k-NN or ENS or ELM", we also employed a classification scheme on the raw CFC FCGs and their GE and LE values. In addition, in order to do a complete comparison, we also follow a classification scheme without the use of feature selection algorithm and a more conventional classification scheme denoted as "LDA $+\mathrm{k}-\mathrm{NN}$ or ENS or ELM' against on the raw FCGs and their GE/LE values. In the latter, the FCG-related tensors were first vectorized (i.e., represented as high dimensional vectors by traversing the corresponding matrices in a systematic way), then dimensionality was reduced via LDA (linear discriminant analysis) () and classification was performed via standard k-NN/ENS/ELM algorithm for the comparison of performance with the main classification approach (TSA+knn/elm/ens), using as input control ( $50 \times 248 \times 248$ ) and mTBI $(30 \times 248 \times 248)$ vectors. In order to provide a statistical comparison between the two dimensionality reduction methods, we performed a statistical analysis within the 10 -fold values (Table S3). Therefore the grey-washed colored cells represent the statistical significant difference, for instance, between the accuracies of TSA and LDA for the frequency pair $\delta, \beta$. The results of these approaches are presented in Table S3 and S4. Finally, following same classification scheme as the case of the raw GE/LE, Table S5 illustrates the classification results for the GE/LE values of the thresholded FCGs.

Table S3: Classification performance (averaged across 10 - folds of cross-validation) with $k-N N$, ENS and ELM of the raw FCGs i) without feature selection algorithm ii) using TSA iii) using LDA. The grey-washed colored cells reveal the statistical difference between the corresponding performances for the two reduction dimensionality methods.

| Classification of CFC FCGs |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | without feature selection (vectorized FCGs) |  |  | with TSA (original matrix format of FCG) |  |  | with LDA (vectorized FCGs) |  |  |
| kNN |  |  |  |  |  |  |  |  |  |
| frequency couple | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) |
| $(\delta, \theta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \alpha)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $99.58 \pm 0.7217$ | $100 \pm 0$ | $99.17 \pm 1.443$ |
| $(\delta, \beta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $91.67 \pm 7.217$ | $100 \pm 0$ | $83.33 \pm 14.43$ |
| $(\delta, \gamma 1)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $98.67 \pm 1.394$ | $97.33 \pm 2.789$ | $100 \pm 0$ | $85.83 \pm 11.27$ | $100 \pm 0$ | $75.67 \pm 17.79$ |
| $(\delta, \gamma 2)$ | $57.5 \pm 0$ | $32 \pm 7.204 \mathrm{e}-15$ | $100 \pm 0$ | $74 \pm 1.491$ | $48.67 \pm 3.801$ | $99.33 \pm 1.491$ | $52.08 \pm 3.608$ | $55 \pm 3.333$ | $44.05 \pm 2.062$ |
| $(\theta, \alpha)$ | $48.75 \pm 0$ | $18 \pm 5.695 \mathrm{e}-15$ | $100 \pm 0$ | $82.33 \pm 0.9129$ | $64.67 \pm 1.826$ | $100 \pm 0$ | $62.5 \pm 12.5$ | $83.33 \pm 6.41 \mathrm{e}-15$ | $50.95 \pm 8.611$ |
| $(\theta, \beta)$ | $50 \pm 0$ | $20 \pm 4.271 \mathrm{e}-15$ | $100 \pm 0$ | $90.67 \pm 0.9129$ | $84 \pm 1.491$ | $97.33 \pm 1.491$ | $91.25 \pm 6.495$ | $89.17 \pm 5$ | $82.83 \pm 12.71$ |
| $(\theta, \gamma 1)$ | $48.81 \pm 0.2795$ | $18.1 \pm 0.4472$ | $100 \pm 0$ | $87.67 \pm 2.528$ | $75.33 \pm 5.055$ | $100 \pm 0$ | $70.83 \pm 10.63$ | $82.5 \pm 5$ | $58.74 \pm 8.856$ |
| $(\theta, \nu 2)$ | $50 \pm 0$ | $20 \pm 3.925 \mathrm{e}-15$ | $100 \pm 0$ | $78.67 \pm 1.394$ | $59.33 \pm 1.491$ | $98 \pm 2.981$ | $61.67 \pm 13.13$ | $53.33 \pm 9.813$ | $50.85 \pm 8.703$ |
| $(\alpha, \beta)$ | $50 \pm 0$ | $20 \pm 3.713 \mathrm{e}-15$ | $100 \pm 0$ | $67.67 \pm 1.9$ | $35.33 \pm 3.801$ | $100 \pm 0$ | $67.5 \pm 11.92$ | $58.33 \pm 4.303$ | $56.32 \pm 11.67$ |
| $(\alpha, y 1)$ | $49.88 \pm 0.3847$ | $19.8 \pm 0.6156$ | $100 \pm 0$ | $74.67 \pm 1.826$ | $49.33 \pm 3.651$ | $100 \pm 0$ | $68.33 \pm 8.036$ | $51.67 \pm 3.333$ | $55.62 \pm 7.281$ |
| $(\alpha, y 2)$ | $50 \pm 0$ | $20 \pm 3.713 \mathrm{e}-15$ | $100 \pm 0$ | $70.33 \pm 1.826$ | $40.67 \pm 3.651$ | $100 \pm 0$ | $71.25 \pm 9.437$ | $73.33 \pm 2.722$ | $59.84 \pm 9.704$ |
| $(\beta, \gamma 1)$ | $51.56 \pm 0.5553$ | $22.5 \pm 0.8885$ | $100 \pm 0$ | $70 \pm 2.041$ | $40 \pm 4.082$ | $100 \pm 0$ | $53.33 \pm 16.79$ | $37.5 \pm 7.391$ | $46.74 \pm 11.1$ |
| $(\beta, \gamma 2)$ | $50 \pm 0$ | $20 \pm 4.175 \mathrm{e}-15$ | $100 \pm 0$ | $75.33 \pm 1.826$ | $50.67 \pm 3.651$ | $100 \pm 0$ | $66.67 \pm 3.819$ | $70.83 \pm 7.391$ | $56.06 \pm 4.26$ |
| ( $\mathrm{Y} 1, \gamma 2$ ) | $50.63 \pm 0.6412$ | $21 \pm 1.026$ | $100 \pm 0$ | $67.33 \pm 2.789$ | $34.67 \pm 5.578$ | $100 \pm 0$ | $42.92 \pm 5.637$ | $45.83 \pm 1.667$ | $40.12 \pm 2.78$ |
| ENS |  |  |  |  |  |  |  |  |  |
| frequency couple | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) |
| $(\delta, \theta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $70.42 \pm 2.5$ | $54.44 \pm 1.925$ | $100 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ |
| $(\delta, \alpha)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $89.17 \pm 1.667$ | $75.56 \pm 3.849$ | $100 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ |
| $(\delta, \beta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $98.33 \pm 1.361$ | $91.11 \pm 5.092$ | $100 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ |
| $(\delta, \gamma 1)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $86.67 \pm 1.361$ | $71.11 \pm 5.092$ | $100 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ |
| $(\delta, \gamma 2)$ | $78.81 \pm 3.771$ | $68.7 \pm 5.667$ | $95.67 \pm 3.078$ | $75 \pm 1.361$ | $43.33 \pm 3.333$ | $100 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ |
| $(\theta, \alpha)$ | $80.56 \pm 1.181$ | $69.1 \pm 1.997$ | $99.67 \pm 1.026$ | $78.33 \pm 1.16 \mathrm{e}-14$ | $53.33 \pm 1.11 \mathrm{e}-14$ | $100 \pm 0$ | $45.83 \pm 14.43$ | $33.33 \pm 57.74$ | $66.67 \pm 57.74$ |
| $(\theta, \beta)$ | $89.63 \pm 2.899$ | $85.7 \pm 5.038$ | $96.17 \pm 2.236$ | $88.33 \pm 4.082$ | $87.78 \pm 1.925$ | $99.17 \pm 1.667$ | $54.58 \pm 29.59$ | $33.33 \pm 57.74$ | $90 \pm 17.32$ |
| $(\theta, \gamma 1)$ | $87.88 \pm 4.017$ | $82.7 \pm 6.594$ | $96.5 \pm 2.752$ | $82.08 \pm 3.696$ | $64.44 \pm 5.092$ | $100 \pm 0$ | $47.08 \pm 16.6$ | $33.33 \pm 57.74$ | $70 \pm 51.96$ |
| $(\theta, \gamma 2)$ | $87.69 \pm 3.096$ | $86.1 \pm 4.745$ | $90.33 \pm 4.312$ | $72.08 \pm 4.167$ | $45.56 \pm 3.849$ | $99.17 \pm 1.667$ | $45.83 \pm 14.43$ | $33.33 \pm 57.74$ | $66.67 \pm 57.74$ |
| $(\alpha, \beta)$ | $87.44 \pm 2.643$ | $82.1 \pm 4.278$ | $96.33 \pm 4.032$ | $70.42 \pm 2.5$ | $58.89 \pm 7.698$ | $100 \pm 0$ | $45.83 \pm 14.43$ | $33.33 \pm 57.74$ | $66.67 \pm 57.74$ |
| $(\alpha, y 1)$ | $87.06 \pm 2.606$ | $81.5 \pm 3.993$ | $96.33 \pm 3.226$ | $68.33 \pm 1.925$ | $55.56 \pm 3.849$ | $100 \pm 0$ | $37.5 \pm 0$ | $0 \pm 0$ | $100 \pm 0$ |
| $(\alpha, \gamma 2)$ | $87.56 \pm 3.405$ | $85 \pm 4.026$ | $91.83 \pm 4.39$ | $80.42 \pm 2.846$ | $42.22 \pm 1.925$ | $100 \pm 0$ | $45.83 \pm 14.43$ | $33.33 \pm 57.74$ | $66.67 \pm 57.74$ |
| $(\beta, \gamma 1)$ | $86.31 \pm 3.101$ | $79.7 \pm 4.462$ | $97.33 \pm 3.521$ | $70 \pm 1.421 \mathrm{e}-14$ | $43.33 \pm 0$ | $100 \pm 0$ | $37.5 \pm 0$ | $0 \pm 0$ | $100 \pm 0$ |
| $(\beta, \gamma 2)$ | $88.63 \pm 3.267$ | $86.6 \pm 4.773$ | $92 \pm 4.38$ | $72.08 \pm 0.8333$ | $50 \pm 3.333$ | $100 \pm 0$ | $45.83 \pm 14.43$ | $33.33 \pm 57.74$ | $66.67 \pm 57.74$ |
| $(\gamma 1, \gamma 2)$ | $87.94 \pm 3.175$ | $84.9 \pm 4.564$ | $93 \pm 4.312$ | $66.67 \pm 0$ | $60 \pm 0$ | $100 \pm 0$ | $54.17 \pm 14.43$ | $66.67 \pm 57.74$ | $33.33 \pm 57.74$ |
| ELM |  |  |  |  |  |  |  |  |  |
| frequency couple | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) |
| $(\delta, \theta)$ | $85.81 \pm 3.634$ | $92.63 \pm 4.029$ | $80.54 \pm 5.207$ | $77.22 \pm 0.9623$ | $54.44 \pm 1.925$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ |
| $(\delta, \alpha)$ | $78.56 \pm 4.161$ | $89.42 \pm 3.968$ | $71.05 \pm 6.604$ | $87.78 \pm 1.925$ | $75.56 \pm 3.849$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ |
| $(\delta, \beta)$ | $66.88 \pm 4.841$ | $78.8 \pm 5.961$ | $57.8 \pm 5.974$ | $95.56 \pm 2.546$ | $91.11 \pm 5.092$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ |
| $(\delta, \gamma 1)$ | $68.06 \pm 5.463$ | $80.08 \pm 5.745$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $85.56 \pm 2.546$ | $71.11 \pm 5.092$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $100 \pm 0$ |
| $(\delta, y 2)$ | $56.31 \pm 6.545$ | $68.89 \pm 6.647$ | $44.11 \pm 8.716$ | $71.67 \pm 1.667$ | $43.33 \pm 3.333$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $74.87 \pm 2.358$ |
| $(\theta, \alpha)$ | $48.69 \pm 5.856$ | $60.67 \pm 6.157$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $76.67 \pm 1.005 \mathrm{e}-14$ | $53.33 \pm 1.11 \mathrm{e}-14$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $94.38 \pm 1.25$ |
| $(\theta, \beta)$ | $56.69 \pm 3.81$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $93.89 \pm 0.9623$ | $87.78 \pm 1.925$ | $100 \pm 0$ | $42.5 \pm 5$ | $62.5 \pm 0$ | $94 \pm 1.78$ |
| $(\theta, \gamma 1)$ | $53.25 \pm 5.247$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $82.22 \pm 2.546$ | $64.44 \pm 5.092$ | $100 \pm 0$ | $57.5 \pm 0$ | $62.5 \pm 0$ | $77.38 \pm 2.097$ |
| $(\theta, \gamma 2)$ | $52.69 \pm 4.905$ | $65.3 \pm 6.198$ | $39.99 \pm 6.554$ | $72.78 \pm 1.925$ | $45.56 \pm 3.849$ | $100 \pm 0$ | $46.67 \pm 8.036$ | $62.5 \pm 0$ | $70.37 \pm 1.315$ |
| $(\alpha, \beta)$ | $51.75 \pm 6.557$ | $65.38 \pm 8.481$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $79.44 \pm 3.849$ | $58.89 \pm 7.698$ | $100 \pm 0$ | $40 \pm 2.5$ | $62.5 \pm 0$ | $64.25 \pm 1.555$ |
| $(\alpha, y 1)$ | $50.81 \pm 4.575$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $77.78 \pm 1.925$ | $55.56 \pm 3.849$ | $100 \pm 0$ | $40.83 \pm 2.887$ | $62.5 \pm 0$ | $89.88 \pm 3.065$ |
| $(\alpha, \gamma 2)$ | $53.06 \pm 4.79$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $71.11 \pm 0.9623$ | $42.22 \pm 1.925$ | $100 \pm 0$ | $41.67 \pm 5.204$ | $62.5 \pm 0$ | $77.17 \pm 3.342$ |
| $(\beta, \gamma 1)$ | $50.94 \pm 2.977$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $71.67 \pm 0$ | $43.33 \pm 0$ | $100 \pm 0$ | $38.33 \pm 1.443$ | $62.5 \pm 0$ | $68.75 \pm 2.179$ |
| $(\beta, \gamma 2)$ | $51.88 \pm 4.224$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $38.38 \pm 5.251$ | $75 \pm 1.667$ | $50 \pm 3.333$ | $100 \pm 0$ | $37.5 \pm 0$ | $62.5 \pm 0$ | $72.25 \pm 0.866$ |
| $(\gamma 1, Y 2)$ | $48.5 \pm 5.203$ | $60.76 \pm 5.85$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $80 \pm 1.421 \mathrm{e}-14$ | $60 \pm 0$ | $100 \pm 0$ | $40.83 \pm 1.443$ | $62.5 \pm 0$ | $61.75 \pm 0.5$ |

Table S4：Classification performance（averaged across 10 －folds of cross－validation）with $k-N N$, ENS and ELM of the raw $\mathrm{GE} / \mathrm{LE}$ values i）without feature selection algorithm ii）using LDA．

|  | Classification of Global Efficiency |  |  |  |  |  |  | Classification of Local Efficiency |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | without feature selection |  |  | with LDA |  |  |  | without feature selection |  |  | with LDA |  |  |
|  | kNN |  |  |  |  |  |  | NN |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | requency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $(\delta, \theta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \alpha)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $(\delta, \alpha)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \beta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $94.38 \pm 0.7217$ | 92．5さ1．915 | $97.5 \pm 1.667$ | $(\delta, \beta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | 97．5 $\pm 2.041$ | $96 \pm 3.266$ | $100 \pm 0$ |
| $\left(\delta, \gamma^{1}\right)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | 98．44 $\pm 0.625$ | 97．5土1 | $100 \pm 0$ | $\left(\delta, \gamma^{1}\right)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | 99．69 50.625 | $99.5 \pm 1$ | $100 \pm 0$ |
| $\left(\delta, \gamma^{2}\right)$ | $88.75 \pm 0$ | $92 \pm 0$ | $83.33 \pm 6.41 \mathrm{e}-15$ | $87.19 \pm 2.577$ | $86 \pm 2.828$ | $89.17 \pm 3.191$ | $\left(\delta, \gamma^{2}\right)$ | $88.75 \pm 0$ | $92 \pm 1.282 \mathrm{e}-14$ | 83．33 $\pm 0$ | $93.75 \pm 6.535$ | $93 \pm 9.018$ | $95 \pm 10$ |
| $(\theta, \alpha)$ | $95.31 \pm 0.625$ | $92.5 \pm 1$ | $100 \pm 0$ | $64.69 \pm 1.573$ | $54 \pm 2.828$ | $82.5 \pm 3.191$ | $(\theta, \alpha)$ | $95.94 \pm 0.625$ | $93.5 \pm 1$ | $100 \pm 0$ | $65.94 \pm 16.97$ | 57．5さ26．3 | $80 \pm 16.56$ |
| $(\theta, \beta)$ | $96.88 \pm 0.7217$ | $95 \pm 1.155$ | $100 \pm 0$ | 87．5土1．021 | $85.5 \pm 2.517$ | $90.83 \pm 1.667$ | $(\theta, \beta)$ | $96.56 \pm 1.197$ | 94．5さ1．915 | $100 \pm 0$ | $83.75 \pm 10.61$ | $79 \pm 13.11$ | $91.67 \pm 11.06$ |
| $(\theta, \gamma 1)$ | $97.19 \pm 0.625$ | $95.5 \pm 1$ | $100 \pm 0$ | $75 \pm 2.041$ | $74.5 \pm 4.123$ | 75．83 1.667 | $(\theta, \gamma 1)$ | $97.5 \pm 1.768$ | $96 \pm 2.828$ | $100 \pm 0$ | 67．5さ8．354 | 73．5さ12．37 | $57.5 \pm 20.97$ |
| （ $\theta$ ， y 2 ） | $93.44 \pm 0.625$ | $93.5 \pm 1$ | 93．33 $\pm 0$ | $83.44 \pm 2.577$ | $83 \pm 3.464$ | $84.17 \pm 1.667$ | （ $\theta$ ， y 2 ） | $93.13 \pm 0.7217$ | $93 \pm 1.155$ | $93.33 \pm 1.11 \mathrm{e}-14$ | 90．63 9.492 | $95 \pm 10$ | $83.33 \pm 14.66$ |
| $(\alpha, \beta)$ | $96.56 \pm 1.197$ | 94．5さ1．915 | $100 \pm 0$ | $75.94 \pm 4.13$ | 70．5土5．26 | $85 \pm 5.774$ | $(\alpha, \beta)$ | 95．63 $\pm 0.7217$ | $93 \pm 1.155$ | $100 \pm 0$ | $85.94 \pm 8.377$ | 83．5さ17．92 | $90 \pm 8.165$ |
| $\left(\alpha, v^{1}\right)$ | 95．63 50.7217 | $93 \pm 1.155$ | $100 \pm 0$ | $61.88 \pm 2.602$ | $64 \pm 2.828$ | $58.33 \pm 3.333$ | $\left(\alpha, v_{1}\right)$ | $96.25 \pm 1.021$ | $94 \pm 1.633$ | $100 \pm 0$ | $63.44 \pm 11.47$ | $53.5 \pm 24.35$ | $80 \pm 13.05$ |
| $\left(\alpha, y^{2}\right)$ | 93．75 $\pm 0$ | $94 \pm 0$ | $93.33 \pm 1.11 \mathrm{e}-14$ | $83.13 \pm 2.165$ | $84 \pm 2.309$ | $81.67 \pm 4.303$ | $\left(\alpha, \gamma^{2}\right)$ | 93．75 0 | $94 \pm 1.282 \mathrm{e}-14$ | 93．33 $\pm 0$ | 82．81 14.3 .38 | $81 \pm 14.74$ | $85.83 \pm 16.41$ |
| $\left(\beta, \gamma^{1}\right)$ | $96.25 \pm 0$ | 94 $\pm 1.282 \mathrm{e}-14$ | $100 \pm 0$ | 44．69 ${ }^{\text {a }}$ ． 625 | $45 \pm 1.155$ | $44.17 \pm 3.191$ | $\left(\beta, \nu^{1}\right)$ | 96．25 $\pm 0$ | 94 $\pm 1.282 \mathrm{e}-14$ | $100 \pm 0$ | $54.38 \pm 8.75$ | $40 \pm 10.71$ | $78.33 \pm 15.52$ |
| $(\beta, \gamma 2)$ | 94．69 50.625 | $95.5 \pm 1$ | $93.33 \pm 6.41 \mathrm{e}-15$ | 83．13 4.39 | 90．5さ4．435 | 70．83 56.31 | $\left(\beta, \gamma^{2}\right)$ | 93．13 $\pm 0.7217$ | $93 \pm 1.155$ | 93．33 $56.41 \mathrm{e}-15$ | $79.69 \pm 12.47$ | 83．5さ5．972 | $73.33 \pm 28.15$ |
| （ $\mathrm{p} 1, \mathrm{y}^{2}$ ） | $95 \pm 0$ | $96 \pm 1.282 \mathrm{e}-14$ | $93.33 \pm 9.065 \mathrm{e}-15$ | $67.5 \pm 1.021$ | $69.5 \pm 3.416$ | 64．17 $\pm 4.194$ | （ $\mathrm{y} 1, \mathrm{y}^{2}$ ） | 93．75 $\pm 0$ | $94 \pm 1.282 \mathrm{e}-14$ | $93.33 \pm 0$ | $70 \pm 5.774$ | $71.5 \pm 21.44$ | 67．5 $\pm 23.15$ |
|  | ENS |  |  |  |  |  |  | ENS |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | requency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | 100 0 | $(\delta, \theta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \alpha)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $(\delta, \alpha)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \beta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $95.94 \pm 1.573$ | $95.5 \pm 2.517$ | 96．67 $\pm 0$ | $(\delta, \beta)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $94.06 \pm 7.731$ | 91．5さ13．1 | $98.33 \pm 3.333$ |
| $\left(\delta, \gamma^{1}\right)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $98.75 \pm 1.021$ | $98 \pm 1.633$ | $100 \pm 0$ | $(\delta, 11)$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | 98．75 1.768 | $98 \pm 2.828$ | $100 \pm 0$ |
| $\left(8, \gamma^{2}\right)$ | $85.31 \pm 1.197$ | $85 \pm 1.155$ | $85.83 \pm 1.667$ | $88.75 \pm 1.768$ | 86．5さ3．416 | 92．5士4．194 | $\left(\delta, \gamma^{2}\right)$ | $85.94 \pm 1.573$ | $87 \pm 2$ | $84.17 \pm 1.667$ | $79.38 \pm 9.922$ | $84 \pm 8.485$ | $71.67 \pm 20.09$ |
| $(\theta, \alpha)$ | 94．69 $\pm 0.625$ | $91.5 \pm 1$ | $100 \pm 0$ | $64.69 \pm 1.875$ | $56 \pm 1.633$ | 79．17 $\pm 3.191$ | $(\theta, \alpha)$ | 95士0 | $92 \pm 1.282 \mathrm{e}-14$ | $100 \pm 0$ | 68．13 56.333 | $60 \pm 15.58$ | $81.67 \pm 26.74$ |
| $(\theta, \beta)$ | $96.25 \pm 0$ | 94 $\pm 1.282 \mathrm{e}-14$ | $100 \pm 0$ | 87．81＋2．135 | $86 \pm 3.266$ | $90.83 \pm 4.194$ | $(\theta, \beta)$ | 96．25 $\pm 0$ | $94 \pm 1.282 \mathrm{e}-14$ | $100 \pm 0$ | 94．38 9.601 | 96．5さ4．435 | $90.83 \pm 18.33$ |
| $(\theta, \gamma 1)$ | 95．63 $\pm 0.7217$ | $93 \pm 1.155$ | $100 \pm 0$ | $75.63 \pm 0.7217$ | $73 \pm 2.582$ | $80 \pm 4.714$ | $(\theta, \gamma 1)$ | 95．63 $\pm 0.7217$ | $93 \pm 1.155$ | $100 \pm 0$ | 91．25 5 5．774 | $90.5 \pm 8.386$ | $92.5 \pm 12.87$ |
| （ $\theta$ ， y 2 ） | 92．5 $\pm 1.021$ | $92 \pm 1.633$ | 93．33 $\pm 9.065 \mathrm{e}-15$ | $84.38 \pm 4.621$ | 84．5さ6．191 | 84．17 ${ }^{\text {d }}$ ．179 | （ $\theta$ ， y 2 ） | $92.81 \pm 1.197$ | 92．5さ1．915 | 93．33 $\pm 0$ | $89.69 \pm 4.375$ | $91 \pm 9.309$ | $87.5 \pm 13.98$ |
| $(\alpha, \beta)$ | 95．63 $\pm 0.7217$ | $93 \pm 1.155$ | $100 \pm 0$ | 75．31 ${ }^{\text {a }}$ ．442 | 70さ3．651 | $84.17 \pm 7.391$ | $(\alpha, \beta)$ | $95.31 \pm 0.625$ | $92.5 \pm 1$ | $100 \pm 0$ | $82.5 \pm 12.46$ | $82.5 \pm 15.86$ | $82.5 \pm 10.32$ |
| $\left(\alpha, \gamma^{1}\right)$ | $95.31 \pm 0.625$ | $92.5 \pm 1$ | $100 \pm 0$ | $60.94 \pm 2.135$ | $62.5 \pm 2.517$ | 58．33 56.939 | $\left(\alpha, \nu_{1}\right)$ | 95 $\pm 0$ | $92 \pm 0$ | $100 \pm 0$ | $56.56 \pm 15.36$ | $55.5 \pm 14.36$ | $58.33 \pm 22.69$ |
| $\left(\alpha, \gamma^{2}\right)$ | 92．5土1．021 | $92 \pm 1.633$ | 93．33 $29.065 \mathrm{e}-15$ | 87．19＋2．135 | $90 \pm 2.828$ | $82.5 \pm 1.667$ | $\left(\alpha, y^{2}\right)$ | 92．19 1.197 | 91．5さ1．915 | 93．33 $56.41 \mathrm{e}-15$ | 89．38さ4．27 | $86.5 \pm 5.508$ | $94.17 \pm 11.67$ |
| $\left(\beta, \gamma^{1}\right)$ | 95．63 $\pm 0.7217$ | $93 \pm 1.155$ | $100 \pm 0$ | 48．44 $\pm 4.13$ | $47.5 \pm 4.123$ | $50 \pm 4.714$ | $\left(\beta, \nu_{1}\right)$ | 96．25 $\pm 0$ | 94 $\pm 1.282 \mathrm{e}-14$ | $100 \pm 0$ | 54．38 11.79 | $59 \pm 13.22$ | $46.67 \pm 35.28$ |
| $\left(\beta, \gamma^{2}\right)$ | $92.81 \pm 0.625$ | $92.5 \pm 1$ | $93.33 \pm 6.41 \mathrm{e}-15$ | $83.44 \pm 0.625$ | 89．5 $\pm 2.517$ | $73.33 \pm 4.714$ | $(\beta, 2)^{2}$ | $93.44 \pm 0.625$ | $93.5 \pm 1$ | $93.33 \pm 6.41 \mathrm{e}-15$ | $83.75 \pm 7.217$ | 85．5さ9．983 | $80.83 \pm 25.59$ |
| $\left({ }^{(1, y 2)}\right.$ | $92.5 \pm 0$ | $92 \pm 0$ | $93.33 \pm 0$ | $64.69 \pm 2.135$ | $65.5 \pm 3$ | $63.33 \pm 7.201$ | （ $\mathrm{p} 1, \mathrm{y} 2$ ） | $94.38 \pm 0.7217$ | $95 \pm 1.155$ | $93.33 \pm 9.065 \mathrm{e}-15$ | $76.56 \pm 19.08$ | $79 \pm 23.8$ | $72.5 \pm 18.93$ |
|  | ELM |  |  |  |  |  |  | ELM |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | requency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | 99．38さ0．7217 | $100 \pm 0$ | $98.75 \pm 1.443$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $(\delta, \theta)$ | $99.06 \pm 0.625$ | $100 \pm 0$ | 98．13 $\pm 1.25$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \alpha)$ | 97．81＋2．135 | $99.58 \pm 0.8333$ | $96.75 \pm 4.272$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ | $(\delta, \alpha)$ | $97.5 \pm 1.021$ | $100 \pm 0$ | $95 \pm 2.041$ | $100 \pm 0$ | $100 \pm 0$ | $100 \pm 0$ |
| $(\delta, \beta)$ | $82.81 \pm 1.573$ | $95.12 \pm 0.875$ | 74．9 2.513 | $86.88 \pm 9.437$ | $100 \pm 0$ | $77.75 \pm 13.23$ | $(\delta, \beta)$ | $88.13 \pm 4.841$ | $97.13 \pm 1.674$ | 81．9 ${ }^{\text {a }}$ ． 207 | $91.56 \pm 2.772$ | $99.58 \pm 0.8333$ | $86.45 \pm 5.051$ |
| $\left(\delta,{ }^{1} 1\right)$ | $86.56 \pm 1.197$ | $95.49 \pm 1.199$ | $80 \pm 0.5932$ | 95．31 +7.099 | $100 \pm 0$ | $92.82 \pm 10$ | $\left(\delta,{ }^{1} 1\right)$ | $84.38 \pm 2.165$ | 94．63 $\pm 0.8753$ | $79.03 \pm 4.942$ | $94.69 \pm 1.875$ | $100 \pm 0$ | 90．13 23.945 |
| $\left(8, \gamma^{2}\right)$ | 67．5さ7．84 | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $80 \pm 2.282$ | $95.66 \pm 5.571$ | $68.63 \pm 4.343$ | $(\delta, y 2)$ | $70.94 \pm 4.492$ | 78．79＋5．661 | $64.08 \pm 4.93$ | $86.25 \pm 1.768$ | $97.62 \pm 1.917$ | 78．67 3.551 |
| $(\theta, \alpha)$ | $60.63 \pm 3.608$ | 77．62 7.198 | $50.09 \pm 2.537$ | $70 \pm 6.693$ | 92．08 7.832 | $58 \pm 6.481$ | $(\theta, \alpha)$ | $54.06 \pm 4.828$ | $69.43 \pm 8.964$ | 41．05 4.666 | $64.06 \pm 1.197$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | 53．63 $\pm 0.6985$ |
| $(\theta, \beta)$ | $70.31 \pm 4.254$ | $87.38 \pm 2.689$ | $59.89 \pm 5.079$ | $85.31 \pm 11.96$ | $88.83 \pm 7.184$ | $82.58 \pm 18.77$ | $(\theta, \beta)$ | $71.88 \pm 2.394$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $64.63 \pm 5.558$ | $80 \pm 2.7$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $69.52 \pm 3.889$ |
| $\left(\theta, \gamma^{1}\right)$ | $62.5 \pm 5.401$ | 78．79․6．619 | $52.36 \pm 6.529$ | $63.75 \pm 21.91$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $55.52 \pm 18.26$ | $\left(\theta, \chi_{1}\right)$ | $60 \pm 10.46$ | $73.41 \pm 10.26$ | $51.24 \pm 13.62$ | $73.44 \pm 2.772$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $63.65 \pm 4.215$ |
| $(\theta, y 2)$ | $61.88 \pm 2.976$ | $75.83 \pm 4.641$ | $52.2 \pm 4.441$ | $80.31 \pm 6.485$ | 94．37 $\pm 6.555$ | 70．33 $\pm 7.261$ | （ $\theta$ ， y 2 ） | $68.13 \pm 2.394$ | $79.3 \pm 4.191$ | $57.96 \pm 4.087$ | 85．63 $2 . .602$ | $94.42 \pm 2.234$ | $81.23 \pm 3.284$ |
| $(\alpha, \beta)$ | $61.25 \pm 2.7$ | 71．79さ5．391 | $52.86 \pm 3.276$ | $73.44 \pm 18.33$ | $86.29 \pm 12.27$ | $64.54 \pm 22.49$ | $(\alpha, \beta)$ | $66.25 \pm 1.021$ | $82.56 \pm 2.303$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $73.75 \pm 2.7$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $61.15 \pm 4.439$ |
| $\left(\alpha, \nu^{1}\right)$ | 55 51.443 | $68.88 \pm 2.939$ | $42.66 \pm 2.337$ | $58.75 \pm 16.3$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $49.99 \pm 13.31$ | $\left(\alpha, v_{1}\right)$ | $54.69 \pm 2.135$ | $68.43 \pm 1.883$ | $39.92 \pm 4.943$ | $63.44 \pm 1.197$ | 79．07 5.525 | 54．4 $\pm 1.306$ |
| $\left(\alpha, \nu^{2}\right)$ | $68.75 \pm 3.227$ | 78．77 $\pm 3.975$ | $57 \pm 5.013$ | 82．19士6．24 | 86．19＋9．894 | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\left(\alpha, \nu^{2}\right)$ | $69.38 \pm 9.27$ | $77.36 \pm 9.023$ | $64.53 \pm 9.368$ | $84.69 \pm 3.287$ | 92．5さ2．884 | 78．96 5.784 |
| $\left(\beta, \chi^{1}\right)$ | $49.69 \pm 4.828$ | $61.64 \pm 4.299$ | $35 \pm 7.279$ | $35.94 \pm 10.58$ | $45.67 \pm 16.23$ | 26．65 3 3．94 | $\left(\beta, \chi^{1}\right)$ | 52．81土4．002 | $66.69 \pm 5.354$ | $38.58 \pm 3.152$ | $45 \pm 2.5$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $35.05 \pm 2.427$ |
| $(\beta, 2)^{\text {）}}$ | $67.19 \pm 4.828$ | 79．41＋4．324 | 58．11＋5．218 | $71.25 \pm 8.72$ | $83.98 \pm 12.82$ | 64．5さ11．09 | $\left(\beta, \gamma^{2}\right)$ | $65.31 \pm 5.807$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | 57．13士9．92 | $84.38 \pm 3.307$ | $89.36 \pm 2.817$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| （ $\gamma 1, \mathrm{v}^{2}$ ） | $55.31 \pm 5.141$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $44.13 \pm 4.881$ | $65.31 \pm 5.039$ | $91.5 \pm 10.79$ | $52.67 \pm 3.963$ | （ $\mathrm{p} 1, \mathrm{p} 2$ ） | $56.56 \pm 4.719$ | $69.69 \pm 2.082$ | $43.06 \pm 7.349$ | $66.56 \pm 1.875$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $58.38 \pm 2.83$ |

Table S5：Classification performance（averaged across 10 －folds of cross－validation）with $k-N N, E N S$ and ELM of the GE／LE values of the thresholded FCGs i）without feature selection algorithm ii）using LDA．

|  | Classification of Global Efficiency of Th CFC FCGs |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | without feature selection |  |  | with LDA |  |  |
|  | kNN |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | 70．94 53.125 | 58 4.32 | 92．5さ3．191 | $60 \pm 7.706$ | $76 \pm 10.2$ | $33.33 \pm 23.88$ |
| （ $\delta, \alpha$ ） | $74.38 \pm 2.602$ | 81．5土1．915 | 62．555．693 | $64.06 \pm 10.02$ | 58．5＋8．386 | 73．33 116.56 |
| $(\delta, \beta)$ | 77．5＋1．021 | $93.5 \pm 1$ | 50．83 1.667 | 75．31＋15．66 | $78 \pm 19.25$ | 70．83 38.62 |
| $(8,11)$ | 69．69＋4．492 | 81．5 3 3．416 | $50 \pm 7.201$ | $67.19 \pm 11.29$ | 74．5＋11．7 | $55 \pm 26.18$ |
| （ $\delta, \mathrm{y}^{2}$ ） | $74.38 \pm 2.394$ | $77 \pm 3.464$ | $70 \pm 2.722$ | 78．75 113.35 | $88.5 \pm 8.386$ | $62.5 \pm 25.73$ |
| $(\theta, \alpha)$ | $63.13 \pm 2.602$ | $67 \pm 2.582$ | 56．67 4.714 | 59．38\＆8．75 | $67 \pm 8.246$ | 46．67士14．4 |
| $(\theta, \beta)$ | $69.38 \pm 1.25$ | $98 \pm 0$ | 21．67 $\pm 3.333$ | $72.19 \pm 18.33$ | $82+9.381$ | $55.83 \pm 33.26$ |
| （ $\theta$ ， $\mathbf{1 1}^{1}$ ） | $74.38 \pm 0.7217$ | 97．5土1 | 35．83＋1．667 | $64.38 \pm 12.18$ | $73 \pm 27.2$ | $50 \pm 13.61$ |
| （ $\theta$ ， y ） | $73.75 \pm 0$ | $100 \pm 0$ | $30 \pm 5.551 \mathrm{e}-15$ | $76.88 \pm 18.94$ | $89 \pm 10.13$ | 56．67 35.38 |
| $(\alpha, \beta)$ | $60.31+2.135$ | $67 \pm 3.464$ | 49．17＋1．667 | $63.75 \pm 23.12$ | 72．5さ25．74 | 49．17＋27．54 |
| $\left(\alpha, \nu^{1}\right)$ | $73.44 \pm 1.875$ | 86．5 3 3．416 | 51．67 1.925 | $67.81 \pm 18.88$ | $77.5 \pm 20.09$ | $51.67 \pm 32.26$ |
| $\left(\alpha, \gamma^{2}\right)$ | $75.63 \pm 0.7217$ | $100 \pm 0$ | $35 \pm 1.925$ | 69．38 $\pm 12.6$ | $70.5 \pm 22.35$ | $67.5 \pm 27.27$ |
| （ $\beta$ ，$\chi_{1}$ ） | $61.88 \pm 0.7217$ | $60.5 \pm 1.915$ | 64．17 $\pm 4.194$ | 57．81＋21．61 | $62.5 \pm 26.45$ | $50 \pm 31.15$ |
| （ $\beta$ ，$\chi^{2}$ ） | $72.81 \pm 1.573$ | 58．5＋2．517 | 96．67 ${ }^{\text {a }}$ ． 2822 － 14 | $82.81 \pm 10.77$ | $86 \pm 13.66$ | $77.5 \pm 8.767$ |
| （ $\mathrm{p} 1, \mathrm{y}^{2}$ ） | $73.75 \pm 3.062$ | $79 \pm 2.582$ | $65 \pm 4.303$ | $74.69 \pm 10.63$ | $85 \pm 10.13$ | 57．5＋25 |
|  | ENS |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | $63.13+1.25$ | $99.5 \pm 1$ | 2．533．191 | 59．69＋11．2 | 58．5さ6．191 | $61.67 \pm 22.85$ |
| （ $\delta, \alpha$ ） | $68.13 \pm 2.165$ | 100 0 | 15＋5．774 | $78.75 \pm 6.455$ | $81.5 \pm 16.11$ | 74．17 $\pm 10.67$ |
| $(\delta, \beta)$ | $64.38 \pm 1.25$ | $100 \pm 0$ | 5＋3．333 | $64.06 \pm 13.05$ | $68 \pm 25.56$ | 57．5さ31．67 |
| $\left(8, \gamma_{1}\right)$ | $64.69 \pm 1.875$ | 100さ0 | 5．833 5 | 74．69＋4．607 | $80 \pm 3.651$ | $65.83 \pm 16.86$ |
| （ $\delta, \mathrm{y}^{2}$ ） | $72.19 \pm 1.875$ | $99.5 \pm 1$ | 26．67 56.086 | $72.19 \pm 14.73$ | 75．5さ23．8 | $66.67 \pm 6.086$ |
| $(\theta, \alpha)$ | $62.5 \pm 0$ | 100 0 | $0 \pm 0$ | $60.63 \pm 12.77$ | $76 \pm 8.165$ | 35 +33.61 |
| $(\theta, \beta)$ | 63．44＋0．625 | $100 \pm 0$ | 2．5t1．667 | 72．81＋7．595 | $81+9.592$ | $59.17 \pm 5.693$ |
| （ $\theta$ ， $\mathrm{y}^{1}$ ） | $64.38 \pm 2.394$ | $100 \pm 0$ | 5士6．383 | $63.75 \pm 6.292$ | 79．5＋9．574 | 37．5＋15．72 |
| （ $\theta$ ， $\mathrm{y}^{2}$ ） | $65.63 \pm 1.614$ | $99.5 \pm 1$ | $9.167 \pm 3.191$ | 73．13＋12．18 | $90 \pm 7.483$ | $45 \pm 27.95$ |
| $(\alpha, \beta)$ | $62.5 \pm 1.021$ | 99．5＋1 | $0.8333+1.667$ | $66.88 \pm 3.307$ | $68.5 \pm 7.724$ | $64.17 \pm 11.01$ |
| $\left(\alpha, \nu_{1}\right)$ | $67.5 \pm 2.282$ | $99.5 \pm 1$ | 14．17 5 | 74．06t6．95 | $72.5 \pm 9.983$ | $76.67 \pm 15.87$ |
| $\left(\alpha, \gamma^{2}\right)$ | $65.94 \pm 1.875$ | $100 \pm 0$ | 9．167士5 | $77.19 \pm 15.52$ | 93＋10．13 | 50．83 36.04 |
| （ $\beta, \gamma^{1}$ ） | $63.75 \pm 1.021$ | 99＋1．155 | $5 \pm 1.925$ | 64．69＋13．2 | $72 \pm 12.33$ | $52.5 \pm 34.03$ |
| （ $\beta$ ，$\chi^{2}$ ） | $94.06 \pm 1.573$ | $99.5 \pm 1$ | $85 \pm 3.333$ | 96．25＋3．68 | 96．5さ7 | 95．83 5 |
| （ $\mathrm{p} 1, \mathrm{y} 2$ ） | 70．94 11.573 | $100 \pm 0$ | 22．5＋4．194 | $72.5 \pm 11.73$ | $67.5 \pm 14.46$ | $80.83 \pm 17.29$ |
|  | ELM |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | $57.81 \pm 8.252$ | $67.17 \pm 8.517$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | 63．44土11．92 | $70.17 \pm 8.623$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| （ $\delta, \alpha$ ） | 62．19＋4．492 | $73.62 \pm 2.002$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | 60．94 6.799 | $75.44 \pm 12.05$ | $51.08 \pm 10.59$ |
| $(\delta, \beta)$ | 60．94 44.607 | 70．98＋3．78 | $46.61 \pm 3.102$ | 78．13 110.48 | $83.83 \pm 8.578$ | 73．63＋13．3 |
| $\left(\delta, \gamma^{1}\right)$ | $59.06 \pm 6.404$ | $67.82 \pm 6.919$ | 49．95 5.2221 | 62．5土3．68 | $69.72 \pm 1.695$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| $\left(8, \gamma^{2}\right)$ | $61.56 \pm 4.828$ | 70．2 +7.447 | 53．09 4.912 | $66.25 \pm 10.05$ | 76．02＋15 | $53.33 \pm 17.99$ |
| $(\theta, \alpha)$ | 49．06さ4．719 | $59.78 \pm 4.2$ | $37.17 \pm 6.849$ | $53.44 \pm 17.18$ | $58.55 \pm 16.73$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| $(\theta, \beta)$ | $61.25 \pm 3.68$ | $71.96 \pm 3.977$ | 50．54 4.287 | 78．44 5.5625 | $80.17 \pm 10.71$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| $\left(\theta, \gamma_{1}\right)$ | $64.38 \pm 6.884$ | $74.79 \pm 10.08$ | $55.63 \pm 6.875$ | $71.25 \pm 6.847$ | $81.35 \pm 12.18$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| （ $\theta$ ， $\mathrm{y}^{2}$ ） | 59．69＋4．375 | $69.62 \pm 4.524$ | $50.24 \pm 5.266$ | 70．31 23.59 | $81.39 \pm 22.95$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| $(\alpha, \beta)$ | 55 3 3．953 | $66.44 \pm 4.386$ | 41．33 3.279 | 70t7．84 | $\mathrm{NaN} \pm \mathrm{NaN}$ | $61.82 \pm 15.07$ |
| $\left(\alpha, \gamma^{1}\right)$ | $55.31 \pm 6.24$ | $68.58 \pm 7.571$ | $40.53 \pm 7.588$ | $64.06 \pm 17.89$ | $74.51 \pm 16.76$ | $51.75 \pm 27.32$ |
| （ $\alpha, y^{2}$ ） | $66.56 \pm 6.485$ | 78．87＋5．037 | 52．5＋9．608 | $64.06 \pm 8.562$ | 72．05 111.16 | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| （ $\beta, \nu^{1}$ ） | $54.38 \pm 3.886$ | $64.39 \pm 2.732$ | $41.46 \pm 6.629$ | $65.94 \pm 13.48$ | $75.97 \pm 16.73$ | 54．25＋20．7 |
| （ $\beta,{ }^{2} 2$ ） | $76.56 \pm 1.573$ | $87.83 \pm 2.513$ | $68.36 \pm 2.654$ | 81．56 4 4．934 | $99.38 \pm 1.25$ | $68.5 \pm 6.843$ |
| （ $\mathrm{p}^{1}$ ， $\mathrm{y}^{2}$ ） | $65 \pm 4.787$ | 75．97士3．631 | $\mathrm{NaN} \pm \mathrm{NaN}$ | 74．38さ15．16 | $76.74 \pm 16.23$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |


|  | Classification of Local Efficiency of Th CFC FCGs |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | without feature selection |  |  | with LDA |  |  |
|  | kNN |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(8, \theta)$ | 68．13＋1．614 | $65.5 \pm 3.416$ | $72.5 \pm 1.667$ | $56.56 \pm 16.56$ | 56＋27．28 | 57．5＋30．47 |
| $(\delta, \alpha)$ | $84.69 \pm 1.197$ | $80.5 \pm 1.915$ | $91.67 \pm 3.333$ | 77．5さ11．23 | 71．5＋14．64 | $87.5 \pm 15$ |
| $(\delta, \beta)$ | $62.19 \pm 1.197$ | $39.5 \pm 1.915$ | $100 \pm 0$ | 92．19士7．526 | $94 \pm 10.71$ | 89．17士11．34 |
| $\left(8,{ }^{1}\right.$ ） | $41.25 \pm 2.282$ | $6 \pm 3.651$ | $100 \pm 0$ | 70．63＋14．77 | $67.5 \pm 16.28$ | 75．83 226.58 |
| $(8, y 2)$ | 43．75 $\pm 1.021$ | $10 \pm 1.633$ | $100 \pm 0$ | $70.63 \pm 22.6$ | $62 \pm 26.98$ | 85 225.75 |
| $(\theta, \alpha)$ | $62.5 \pm 3.536$ | 84さ4．32 | $26.67 \pm 2.722$ | 53．44土9．263 | 57．5さ6．403 | $46.67 \pm 29.19$ |
| $(\theta, \beta)$ | 77．5t1．443 | $100 \pm 0$ | 40＋3．849 | $69.38 \pm 14.88$ | 78．5さ16．44 | $54.17 \pm 30.72$ |
| （ $\theta$ ，, 1 ） | $76.56 \pm 1.197$ | $91.5 \pm 1.915$ | 51．67 1.925 | 80．94 12.8 | $87 \pm 13.11$ | 70．83 225.15 |
| （ $\theta$ ， $\mathbf{2}^{2}$ ） | $39.69+1.197$ | 3．5＋1．915 | $100 \pm 0$ | $88.75 \pm 3.227$ | $93 \pm 8.246$ | $81.67 \pm 21.34$ |
| $(\alpha, \beta)$ | $69.38 \pm 3.307$ | $74 \pm 1.633$ | $61.67 \pm 6.383$ | 79．69＋4．13 | 81．5さ12．26 | 76．67＋22．61 |
| $\left(\alpha, \gamma^{1}\right)$ | $65.63 \pm 0.7217$ | $100 \pm 0$ | $8.333 \pm 1.925$ | $85.31+8.802$ | 88．599．292 | $80 \pm 33.67$ |
| $\left(\alpha, \gamma^{2}\right)$ | 40．63 ${ }^{\text {a }}$ ． 7217 | $5 \pm 1.155$ | $100 \pm 0$ | $80 \pm 10.36$ | $78 \pm 7.832$ | 83．33 $\pm 15.4$ |
| $\left(\beta, \chi_{1}\right)$ | $64.06 \pm 0.625$ | $97 \pm 2$ | $9.167 \pm 4.194$ | $67.19 \pm 14.59$ | 78．5 +14.55 | 48．33 $\pm 36.26$ |
| $(\beta, 2)^{\prime}$ | $81.88 \pm 1.614$ | $71+2.582$ | $100 \pm 0$ | 97．19さ4．828 | $96 \pm 8$ | $99.17 \pm 1.667$ |
| （ $\mathrm{p} 1, \mathrm{p} 2$ ） | 63．13＋1．614 | $95 \pm 2$ | $10 \pm 6.086$ | $53.75 \pm 10.85$ | $49 \pm 14.28$ | $61.67 \pm 19.15$ |
|  | ENS |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ | 75．94＋2．135 | 80．5土15．09 | $68.33 \pm 21.34$ |
| $(\delta, \alpha)$ | 69．69＋2．954 | 98．5土1．915 | $21.67 \pm 6.939$ | 84．69＋7．864 | 87．5＋9．292 | $80 \pm 8.165$ |
| $(\delta, \beta)$ | $80 \pm 2.7$ | $90.5 \pm 3.786$ | $62.5 \pm 3.191$ | 77．19＋14．8 | 82．5さ19．14 | $68.33 \pm 8.819$ |
| $(8,11)$ | 68．44＋0．625 | $100 \pm 0$ | 15．83 1.667 | 83．13＋6．884 | 88．5＋9．574 | 74．17＋17．72 |
| $(8,2)^{\prime}$ | $81.25 \pm 2.282$ | 92．5＋1．915 | $62.5 \pm 5$ | 81．25 58.72 | $73 \pm 18.65$ | 95 7.7 .935 |
| $(\theta, \alpha)$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ | 58．75 $\pm 17.71$ | $58 \pm 20.2$ | $60 \pm 27.76$ |
| $(\theta, \beta)$ | $63.75 \pm 1.021$ | $100 \pm 0$ | 3．333 2.722 | 84．38＋5．637 | 92＋5．888 | $71.67 \pm 11.39$ |
| $(\theta, y 1)$ | $64.38 \pm 0.7217$ | $100 \pm 0$ | $5 \pm 1.925$ | 73．75 16.01 | 78．5＋15．18 | $65.83 \pm 23.31$ |
| （ $\theta$ ， $\mathbf{2}^{2}$ ） | $79.06 \pm 1.197$ | $94 \pm 1.282 \mathrm{e}-14$ | 54．17 3.191 | 80．31＋9．375 | $84 \pm 11.43$ | 74．17 $\pm 17.29$ |
| $(\alpha, \beta)$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ | $70.63 \pm 6.166$ | 84．5さ11．59 | 47．5 517.08 |
| $\left(\alpha, \gamma^{1}\right)$ | 62．5さ0 | $100 \pm 0$ | $0 \pm 0$ | $80 \pm 8.292$ | 84．5＋9．434 | 72．5土13．44 |
| $\left(\alpha, \gamma^{2}\right)$ | $80 \pm 1.021$ | $97.5 \pm 1$ | $50.83 \pm 3.191$ | 93．13 4.621 | 89．5さ7．724 | $99.17 \pm 1.667$ |
| $\left(\beta, \chi_{1}\right)$ | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ | 57．19＋9．595 | $67 \pm 25.01$ | 40．83 32.59 |
| $\left(\beta, r^{2}\right)$ | $92.81 \pm 2.772$ | $98.5 \pm 1.915$ | 83．33土4．714 | 99．69＋0．625 | $100 \pm 0$ | $99.17 \pm 1.667$ |
| （ $\chi_{1,2}$ 2） | $62.5 \pm 0$ | $100 \pm 0$ | $0 \pm 0$ | $54.69+23.55$ | $57.5 \pm 33.56$ | $50 \pm 29.19$ |
|  | ELM |  |  |  |  |  |
| frequency couple | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |
| $(\delta, \theta)$ | 58．13＋9．869 | $\mathrm{NaN} \pm \mathrm{NaN}$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $74.69 \pm 10.23$ | 94．25＋5．217 | $64.24 \pm 13.08$ |
| （ $\delta, \alpha$ ） | $66.88 \pm 2.165$ | $76.58 \pm 3.549$ | 57．01 4.445 | $82.81+12.84$ | $86.79 \pm 14.75$ | $\mathrm{NaN} \pm \mathrm{NaN}$ |
| $(\delta, \beta)$ | 67．19＋3．442 | $82.33 \pm 8.301$ | $57.77 \pm 3.076$ | 90．31 4.492 | 99．17 $\pm 0.9623$ | $83.13 \pm 8.816$ |
| $\left(8, \gamma_{1}\right)$ | 59．69＋5．984 | 70．65＋5．031 | $\mathrm{NaN} \pm \mathrm{NaN}$ | 76．56＋9．756 | 93．5＋9．434 | $66.36 \pm 11.74$ |
| $(8,2)^{\prime}$ | $68.44 \pm 4.828$ | $82.75 \pm 2.481$ | 58．04土7．399 | $79.69 \pm 9.375$ | $99.58 \pm 0.8333$ | $68.52 \pm 10.65$ |
| $(\theta, \alpha)$ | $52.19 \pm 3.733$ | 61.145 .269 | $40.64 \pm 2.625$ | $53.13 \pm 10.43$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | $41.35 \pm 11.23$ |
| $(\theta, \beta)$ | 63．75＋5．401 | $73.08 \pm 3.469$ | 54．87 9.737 | 75．31＋10．82 | $78.44 \pm 8.521$ | $71.88 \pm 17.3$ |
| （ $\theta$ ，, 11 ） | 60．94 $\pm 7.386$ | 73．21＋9．377 | 49．17 ${ }^{\text {a }}$ 11．07 | 73．44土9．649 | $79.62 \pm 8.208$ | $67.96 \pm 16.71$ |
| （ $0, \mathrm{y}^{2}$ ） | 67．5＋5．303 | 80．57 56.407 | 57．2555．28 | 71．56 9.3 .375 | 88．08さ11．2 | 59．57 9.337 |
| $(\alpha, \beta)$ | $59.06 \pm 5.625$ | 68．72＋6．676 | $\mathrm{NaN} \pm \mathrm{NaN}$ | 69．06士14．38 | $73.74 \pm 7.156$ | $65.67 \pm 25.19$ |
| $\left(\alpha, \chi_{1}\right)$ | $63.13 \pm 2.976$ | 73．45＋3．877 | $53.58 \pm 6.739$ | 70．94 $\pm 10.33$ | $76.58 \pm 4.518$ | $66.21+20.37$ |
| （ $\alpha, y^{2}$ ） | $66.88 \pm 5.154$ | $78.46 \pm 5.398$ | 58．7 $\pm 7.718$ | $75 \pm 8.6$ | $94.58 \pm 2.44$ | $62.65 \pm 8.842$ |
| $\left(\beta, \chi_{1}\right)$ | 54．69＋7．996 | $66.49 \pm 11.83$ | 43．96 7.301 | 59．38さ15．5 | $\mathrm{NaN} \pm \mathrm{NaN}$ | $48.06 \pm 14.24$ |
| （ $\beta^{2} 2$ 2） | $80 \pm 6.535$ | 87．33＋5．98 | $74.21 \pm 9.073$ | 98．44土2．366 | $100 \pm 0$ | $96.88 \pm 4.732$ |
| （ $\mathrm{y}^{1, \mathrm{y} 2 \text { ）}}$ | $50 \pm 7.706$ | $63.97 \pm 6.75$ | $\mathrm{NaN} \pm \mathrm{NaN}$ | 37．19＋1．875 | $\mathrm{NaN} \pm \mathrm{NaN}$ | $30.59 \pm 4.898$ |

## b．Laplacian Scores

A second vectorization approach as classification scheme was also used in order to compare its performance with our main classification approach（TSA＋knn／elm／ens），using as input control （50x248x248）and mTBI（30x248x248）vectors and as a feature selection algorithm the Laplacian Scores， LS（described in the previous section）．First，we ran the LS algorithm for 1000 times to get a distribution regarding the features in order to estimate a threshold about the selection of the significant LS features． The selected features are plotted in Fig S． 6 for each frequency couple and each subject．After feature selection，we used the k－NN algorithm to calculate the classification metrics，i．e．，accuracy，sensitivity， and specificity in order to quantify the discrimination between the two groups（Table S6）．Finally，the same procedure（i．e．，feature selection and classification）was performed using as input the efficiency of the full weighted graphs．The results of this approach are presented in Table S7 and Figure S．7．


Figure S．6．Topography of the mean CFC connections according to the Laplacian score as feature selection algorithm for each frequency band and group．

Table S6．Classification performance of the vectorization approach（averaged across 10 folds of cross－validation） with k－NN classifier and as input the weights of the FCGs of the two groups based on Laplacian Scores．

| Frequency band | $\theta$ |  |  | $\alpha$ |  |  | $\beta$ |  |  | Y1 |  |  | $y^{2}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Accuracy（\％） | Sensitivity（\％） | Specificity（\％） |  |  |  |  |  |  |  |  |  |  |  |  |
| $\delta$ | 38．96 00.83 | $2.34 \pm 1.335$ | $100 \pm 0$ | 56．73＋1．41 | 30．76 2 2．30 | $100 \pm 0$ | 83．58＊1．294 | 73．72 2 2．07 | $100 \pm 0$ | 53．38＋1．64 | $25.4 \pm 2.629$ | $100 \pm 0$ | $38.63 \pm 0.78$ | $1.8 \pm 1.255$ | 100さ0 |
| $\theta$ |  |  |  | 37．5さ0 | $0 \pm 0$ | $100 \pm 0$ | $73.68 \pm 0.63$ | 57．88＋1．01 | $100 \pm 0$ | 37．5さ0 | $0 \pm 0$ | $100 \pm 0$ | 37．5さ0 | $0 \pm 0$ | 100士0 |
| $a$ |  |  |  |  |  |  | 37．64＋0．39 | $0.22 \pm 0.62$ | $100 \pm 0$ | 37．5さ0 | $0 \pm 0$ | $100 \pm 0$ | $39.08 \pm 0.93$ | 2．52＋1．49 | 100士0 |
| $\beta$ |  |  |  |  |  |  |  |  |  | $37.61 \pm 0.47$ | $0.24 \pm 0.65$ | 99．9＋0．5715 | 37．5さ0 | $0 \pm 0$ | 100さ0 |
| $\gamma 1$ |  |  |  |  |  |  |  |  |  |  |  |  | 37．5さ0 | $0 \pm 0$ | 100さ0 |



Figure S.7. Topography of the mean CFC Global and Local Efficiency according to the Laplacian score as feature selection algorithm for each frequency band and group.

Table S7. Classification performance of the vectorization approach (averaged across 10 folds of cross-validation) with k-NN classifier and as input global and local efficiency of the full weighted FCGs based on Laplacian Scores.

| Frequency band | $\theta$ |  |  | a |  |  | $\beta$ |  |  | $\gamma 1$ |  |  | 12 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Accuracy (\%) | Sensitivity (\%) | Specificity (\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| $\delta$ | 59.844.44 | 68.5446.14 | 45.237.725 | 55.0844 .76 | 67.36t5.46 | 34.677.69 | 61.2544 .24 | 70.6455 .76 | 45.677.77 | 64,994.42 | 63.425 .5 .32 | 67.647.71 | 61.014 .18 | 65.326 .6 .11 | 53.8337.5 |
| $\theta$ |  |  |  | 59.38+3.18 | 62.56t3.85 | 54.075.66 | 64.464.4.48 | 74.446.6.08 | 47.837.7.57 | 53.494.4.54 | 67.385 .72 | 30.3377.75 | 57.134.4.34 | 56.565.5.58 | 58.077.71 |
| a |  |  |  |  |  |  | 58.144.35 | 78.886 .05 | 23.4788.49 | 60.3544.59 | 60.445.66 | 60.277.7.79 | 68.3344.35 | 80.245.57 | 48.53+6.2 |
| P |  |  |  |  |  |  |  |  |  | $61.6 \pm 3.86$ | 59.22+5.21 | 65.576 .03 | 67.814.11 | 63.365 .592 | 75.237.7.39 |
| V 1 |  |  |  |  |  |  |  |  |  |  |  |  | 61.144 .13 | 71.545.05 | 43.856 .8 |

## 8. Details about subject demographics

Table S8. Subject demographics for the current mTBI group.

| Subject | Age at injury | Gender | Auto Pedestrian frontal | Auto Pedestrian - frontal Type | Auto Pedestrian frontal _Location |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 21.7 | M | Auto Pedestrian | Laceration - no sutures | Head |
| 2 | 42.0 | M | Motor Vehicle | Abrasion | Head |
| 3 | 22.1 | M | Motor Vehicle | Tenderness | Head |
| 4 | 43.1 | M | Motor Vehicle | Tenderness | Head |
| 5 | 34.6 | M | Fall Raised Surface | Abrasion | Head |
| 6 | 42.3 | F | Assault | Bruising | Head |
| 7 | 20.3 | M | Motor Vehicle | Bruising | Head |
| 8 | 24.0 | F | ATV | Laceration - no sutures | Head |
| 9 | 24.9 | M | Sports-related | Laceration - with sutures | Head |
| 10 | 24.4 | F | Motor Vehicle | Bruising | Head/Face |
| 11 | 43.7 | F | Motor Vehicle | Tenderness | Head |
| 12 | 36.3 | M | Blow to Head | Tenderness | Head |
| 13 | 49.1 | M | Motorcycle | Contusion | Head |
| 14 | 43.3 | F | Fall Standing | Laceration - no sutures | Head |
| 15 | 23.3 | F | Fall Standing | Laceration - with sutures | Head |
| 16 | 33.4 | M | Fall Raised Surface | Laceration - no sutures | Head |
| 17 | 27.3 | M | Auto Pedestrian | Tenderness | Head/Face |
| 18 | 49.8 | F | Fall Moving Object | Laceration - with sutures | Head |
| 19 | 25.3 | M | Fall | Abrasion | Head |
| 20 | 27.7 | M | Fall Moving Object | Abrasion | Head |
| 21 | 20.5 | M | Motor Vehicle | Bruising | Head |
| 22 | 27.0 | F | Auto Pedestrian | Bruising | Head |
| 23 | 22.6 | F | Motor Vehicle | Contusion | Head |
| 24 | 34.8 | M | Assault | Contusion | Head |
| 25 | 20.3 | M | Sports-related | Contusion | Head/Face |
| 26 | 43.8 | F | Fall Standing | Contusion | Head |
| 27 | 28.8 | F | Motor Vehicle | Contusion | Head |
| 28 | 27.8 | M | Assault | Contusion | Head |
| 29 | 24.7 | F | Assault | Contusion | Head |
| 30 | 22.8 | F |  |  |  |

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[^1]:    ${ }^{1}$ http://users.auth.gr/~stdimitr/software.html

